

SIGNAL & DATA ANALYTICS IN IoMT Tech-in-Med Summer Camp

PREMANANDA INDIC, PH.D.

DEPARTMENT OF ELECTRICAL ENGINEERING



NSF Award OAC-1924117: Easy-Med: Interdisciplinary Training in Security, Privacy-Assured Internet of Medical Things

OUTLINE

- 1. Different physiological signals
- 2. Features of the signals associated with health
- 3. Differentiating signals and data
- 5. Development of algorithms
- 6. Processing of signals
- 7. Data analytics (Machine Learning)
- 8. Converting algorithms into software code
- 9. Embedding the code in the sensors.

>What is Machine Learning ?

 Machine Learning is a field of study that gives computers the ability to "learn" without being explicitly programmed

- Prediction
- Classification

Too many books spoil the curiosity

Start with Andrew Ng, Machine Learning, Stanford University available on YouTube

Some Statistics & Programming Knowledge Helps !











Analytical Tools

Simple Calculator (Boolean Algebra) Scientific Calculator (Series Expansion, Boolean Algebra) Computer (Programming Language, Assembly Language, Series Expansion, Boolean Algebra) Smart Devices (ML Models, Programming Language, Assembly Language, Series Expansion, Boolean Algebra)

>Always there is a mathematical foundation

- Analytical Tools (Logarithm, Laplace Transform, Fourier Transform.....) Computational Tools (Boolean Algebra, Taylor Series Expansion,.....) Programming Languages (Basic, Fortran, C, C++, Java,) Assembly Languages (depending upon the computer processors) Machine Learning Models
- Artificial Intelligence

- Examples of Smart Systems
 - Voice Recognition
 - **Tumor Detection**
 - Weather Forecast
 - **Driverless Cars**

- ≻Training Data
- >Appropriate Model
- Procedure to Train (Make a machine to "learn")
- (Learning Algorithms, Online vs Batch Learning, Instance Based vs Model Based≻Test Data

Machine Learning with MATLAB



https://commons.wikimedia.org/wiki/File:Ma n_Driving_Car_Cartoon_Vector.svg





http://clipartlibrary.com/mechaniccliparts.html





You have a complex problem involving a large amount of data and lots of variables. You know that machine learning would be the best approach—but you've never used it before. How do you deal with data that's messy, incomplete, or in a variety of formats? How do you choose the right model for the data?

Sounds daunting? Don't be discouraged. A systematic workflow will help you get off to a smooth start.

Mastering Machine Learning: A Step-by-Step Guide with MATLAB

Read ebook



≻VARL	ABLE		<pre>lm = fitlm(tbl,'MPG</pre>	G~Weight+Accel	leration')					
fitlm			lm =							
Weight	Acceleration	MPG								
			Linear regression n MPG ~ 1 + Weigh	Linear regression model: MPG ~ 1 + Weight + Acceleration						
3504	12	18	Estimated Coefficie	ents:						
3693	11.5	15		Estimate	SE	tStat	pValue			
3436	11	18								
3433	12	16	(Intercept) Weight	45.155 -0.0082475	3.4659 0.00059836	13.028 -13.783	1.6266e-22 5.3165e-24			
3449	10.5	17	Acceleration	0.19694	0.14743	1.3359	0.18493			
			MPG =	a + b Weig	ght + c Acce	leration				

Number of observations: 94, Error degrees of freedom: 91 Root Mean Squared Error: 4.12 R-squared: 0.743, Adjusted R-Squared 0.738

	Command Window					💿 Workspace
VARIADLE	>> lm=fitlm(housing) lm =					Name ^
	Linear regression model:					
	median_house_value ~	[Linear formul	a with 9 te	erms in 8 pr	edictors]	
eal Estate Data	Estimated Coefficients:					
		Estimate	SE	tStat	pValue	
	(Intercept)	-3.5854e+06	62901	-57.001	0	
	(Intercept) longitude	-3.5854e+06 -42730	62901 717.09	-57.001 -59.588	0 0	
	(Intercept) longitude latitude	-3.5854e+06 -42730 -42510	62901 717.09 676.95	-57.001 -59.588 -62.796	0 0 0	
	(Intercept) longitude latitude housing_median_age	-3.5854e+06 -42730 -42510 1157.9	62901 717.09 676.95 43.389	-57.001 -59.588 -62.796 26.687	0 0 2.9463e-154	
	(Intercept) longitude latitude housing_median_age total_rooms	-3.5854e+06 -42730 -42510 1157.9 -8.2497	62901 717.09 676.95 43.389 0.79426	-57.001 -59.588 -62.796 26.687 -10.387	0 0 2.9463e-154 3.2948e-25	
	(Intercept) longitude latitude housing_median_age total_rooms total_bedrooms	-3.5854e+06 -42730 -42510 1157.9 -8.2497 113.82	62901 717.09 676.95 43.389 0.79426 6.9306	-57.001 -59.588 -62.796 26.687 -10.387 16.423	0 0 2.9463e-154 3.2948e-25 3.1889e-60	
	(Intercept) longitude latitude housing_median_age total_rooms total_bedrooms population	-3.5854e+06 -42730 -42510 1157.9 -8.2497 113.82 -38.386	62901 717.09 676.95 43.389 0.79426 6.9306 1.0841	-57.001 -59.588 -62.796 26.687 -10.387 16.423 -35.407	0 0 2.9463e-154 3.2948e-25 3.1889e-60 1.4597e-266	
	(Intercept) longitude latitude housing_median_age total_rooms total_bedrooms population households	-3.5854e+06 -42730 -42510 1157.9 -8.2497 113.82 -38.386 47.701	62901 717.09 676.95 43.389 0.79426 6.9306 1.0841 7.5466	-57.001 -59.588 -62.796 26.687 -10.387 16.423 -35.407 6.3209	0 0 2.9463e-154 3.2948e-25 3.1889e-60 1.4597e-266 2.6535e-10	

► VARIABLE Don't want to write the code? đ 🕜 Help × \Rightarrow 🍓 👷 🞯 🗉 🛛 fitlm 🛛 🗶 🕂 Documentation Search Help ■ CONTENTS Close fitlm < Documentation Home Create linear regression model collapse all in page < Statistics and Machine Learning 8 Toolbox fitIm creates a LinearModel object. Once you create the object, you can see it in the workspace. You can see all the properties the object contains by clicking on it. You can create plots and do further diagnostic analysis by using < Regression methods such as plot, plotResiduals, and plotDiagnostics. For a full list of methods for LinearModel, see methods < Linear Regression < Multiple Linear Regression Syntax < Statistics and Machine Learning mdl = fitlm(tbl) Toolbox mdl = fitlm(tbl,modelspec) < Regression mdl = fitlm(X,y)< Linear Regression mdl = fitlm(X,y,modelspec) < Stepwise Regression mdl = fitlm(____, Name, Value) < Statistics and Machine Learning Toolbox < Functions Description example mdl = fitlm(tbl) returns a linear model fit to variables in the table or dataset array tbl. By default, fitlm takes the last variable as the response variable fitlm ON THIS PAGE example mdl = fitlm(tbl,modelspec) returns a linear model of the type you specify in modelspec fit to variables in the table or dataset array tbl. Syntax example mdl = fitlm(X, y) returns a linear model of the responses y, fit to the data matrix X. Description example mdl = fitlm(X,y,modelspec) returns a linear model of the type you specify in modelspec for the responses y, fit to the data matrix X. Examples Input Arguments example mdl = fitlm(___,Name,Value) returns a linear model with additional options specified by one or more Name, Value pair arguments. Output Arguments For example, you can specify which variables are categorical, perform robust regression, or use observation weights More About Examples Tips Extended Capabilities Fit Linear Regression Using Data in Table See Also Load the sample data. **Open Script**





Kurtosis : *r* = 0.18 *p* = 0.03



> SPECTRAL FEATURES (a) data Wavelet transform (b) A(s=0.2h) wavelets(filename) (c) A(s=1.04h) (d) A(s=23.48h)

Indic P, Salvatore P, Maggini C, et al. (2011) Scaling Behavior of Human Locomotor Activity Amplitude: Association with Bipolar Disorder. PLOS ONE 2011 6(5): e20650.

time (h)

>SPECTRAL FEATURES



Indic P, Murray G, Maggini C, et al. (2012) Multiscale Motility Amplitude Associated with Suicidal Thoughts in Major Depression. PLOS ONE 2012, 7: e38761





prapela

> SPECTRAL FEATURES



Bloch-Salisbury E, Indic P, Bednarek F, and Paydarfar D, J Appl Physiol., 2009, 107: 1017-1027

>NONLINEAR FEATURES



- Fluctuation Analysis
- Pattern Analysis
- Fractal Analysis
- Information Categorization Approach
- Power Law
- Entropy
- Dimension



Yang CC, Peng CK, Yien HW, Goldberger AL. Information categorization approach to literary authorship disputes. Physica A. 2003; 329:473-483.



Carreiro, S, Chintha KK, Shrestha S*, Chapman B, Smelson D, Indic P. Wearable sensor based detection of stress and craving in patients during treatment for substance use disorder: A mixed methods pilot study. Drug and Alcohol Dependence. 2020, 107929

Statistical vs. Machine Learning Models



Statistical vs. Machine Learning Models

Purpose:

Statistical models are used for inference (To find association between features and an outcome). Results should be interpretable.

Machine Learning models are used for prediction (Use features that can predict an outcome). Results may not be interpretable.

Statistical vs. Machine Learning Models



Supervised Learning

Learning a relationship between features and the outcome using a training set

Unsupervised Learning

Learning underlying structures in features

- Supervised Learning
 - Linear Regression
 - Logistic Regression
 - Support Vector Machine
 - Artificial Neural Network



- Unsupervised Learning
 - Clustering
 - Principal Component Analysis
 - Independent Component Analysis
 - Singular Value Decomposition



➢ Do machines actually "learn" ?



>Do machines actually "learn"?

$$e(N = 1) = \widetilde{VI}(N = 1) - VI(N = 1)$$
$$e(N = 2) = \widetilde{VI}(N = 2) - VI(N = 2)$$

 $E = \sum_{n=1}^{N} e^2$



>Do machines actually "learn"?





	<i>m</i>				
С	0.1	0.6	0.8	0.01	0.5
	1	10	0.01	0.001	0.002
	8	7	0.0006	0.03	0.55
	100	12	0.1	12	0.89
▼	2	1	2	0.5	0.05

 $\widetilde{VI} = m \times SI + C$

➢ Do machines actually "learn" ?

How do we find minimum E ?







Predicted class

≻How to implement in MATLAB ?

<u>Step 1</u>: Create an excel sheet with features

with class assignments

H S C ₹ML_Features.xlsx - Exc										
Fil	e Hom	e Insert	Page Layo	out Form	nulas Data	a Review	View	ACROBAT	Ω те	
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	А	В	С	D	E	F	G	Н		
1	Mean	Variance	Skewness	Kurtosis	VI	MaxPower	Period	Class		
2	137.6947	14931.16	-0.056993	1.197417	3.755929	0.771954	23.98978	(כ	
3	57.58281	7779.068	1.447852	3.721393	3.261892	0.1253	23.99	(כ	
4	48.53767	3375.835	0.615057	1.591565	3.255973	0.324648	23.98978	(כ	
5	42.66994	3326.025	0.857468	1.949755	2.543098	0.287763	17.90727	()	
6	56.60723	3079.243	0.395654	1.542557	3.025063	0.098217	36.59877	()	
7	46.82824	2997.517	0.701703	1.830491	2.800526	0.232764	36.59877	(כ	
8	55.63133	3442.331	0.368472	1.385136	3.488456	0.531442	23.98978	()	
9	42.45809	2814.461	0.878013	2.135023	3.072495	0.201072	36.9973	()	
10	38.85133	2827.906	0.941145	2.201092	2.573554	0.268949	36.59877	()	
11	70.6009	3521.706	-0.057012	1.324216	2.190666	0.591335	36.59877	(כ	
12	145.7006	15047.43	-0.180304	1.227565	3.320572	1.816129	23.98978	()	
13	101.6529	12301.1	0.381776	1.38546	3.977222	0.561744	36.59877	()	
14	31.54241	5504.327	2.280518	6.740252	2.77175	0.460381	36.9973	()	
15	67.80755	3287.264	-0.135206	1.240241	4.644794	0.586929	23.98978	()	
16	67.22297	3233.55	-0.102154	1.253838	4.638592	0.6161	23.98978	()	
17	110 20/7	12071 7	רכסרדכ ∩	1 200001	1 100171	A 127666	26 0072	(n	

≻How to implement in MATLAB ?

Step 2: Open MATLAB and drag the

excel file to workspace

	IMPORT	VIEW							
Vari	Rang able Names Rov	e: A2: • w: 1 •	utput Type: Table Text Options	■ Replace▼	e	• unimporta	ble cells with	• NaN - +	Import Selection
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	Mean	Variance	Skewness	Kurtosis	VI	MaxPower	Period /	Class	VarName9
	Number -I	Number -	Number -	Number -	Number -	Number -	Number	Categorical -	Text -
1	Mean	Variance	Skewness	Kurtosis	VI	MaxPower	Period	Class	
2	137.6947	1.4931e+04	-0.0570	1.1974	3.7559	0.7720	23.9898	0	
3	57.5828	7.7791e+03	1.4479	3.7214	3.2619	0.1253	23.9900	0	
4	48.5377	3.3758e+03	0.6151	1.5916	3.2560	0.3246	23.9898	0	
5	42.6699	3.3260e+03	0.8575	1.9498	2.5431	0.2878	17.9073	0	
6	56.6072	3.0792e+03	0.3957	1.5426	3.0251	0.0982	36.5988	0	
7	46.8282	2.9975e+03	0.7017	1.8305	2.8005	0.2328	36.5988	0	
8	55.6313	3.4423e+03	0.3685	1.3851	3.4885	0.5314	23.9898	0	
9	42.4581	2.8145e+03	0.8780	2.1350	3.0725	0.2011	36.9973	0	
10	38.8513	2.8279e+03	0.9411	2.2011	2.5736	0.2689	36.5988	0	
11	70.6009	3.5217e+03	-0.0570	1.3242	2.1907	0.5913	36.5988	0	
12	145.7006	1.5047e+04	-0.1803	1.2276	3.3206	1.8161	23.9898	0	
13	101 6529	123010+04	0 3818	1 3855	3 9772	0 5617	36 5988	0	

≻How to implement in MATLAB ?

Step 3: Click Import Selection and import data

	IMPORT	VIEW							
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ſ	ML_Features.>	klsx 🗶							
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									MLFeatu
	Mean	Variance	Skewness	Kurtosis	VI	MaxPower	Period	Class	VarName9
	Number -	Number	-Number -	Number -	Number -	Number -	Number -	Categorical	-Text -
1	Mean	Variance	Skewness	Kurtosis	VI	MaxPower	Period	Class	
2	137.6947	1.4931e+0	4 -0.0570	1.1974	3.7559	0.7720	23.9898	(D
3	57.5828	7.7791e+0	3 1.4479	3.7214	3.2619	0.1253	23.9900	(
4	48.5377	3.3758e+0	3 0.6151	1.5916	3.2560	0.3246	23.9898	(
5	42.6699	3.3260e+0	3 0.8575	1.9498	2.5431	0.2878	17.9073	(
6	56.6072	3.0792e+0	3 0.3957	1.5426	3.0251	0.0982	36.5988	(2
7	46.8282	2.9975e+0	3 0.7017	1.8305	2.8005	0.2328	36.5988	(0
8	55.6313	3.4423e+0	3 0.3685	1.3851	3.4885	0.5314	23.9898	()
9	42.4581	2.8145e+0	3 0.8780	2.1350	3.0725	0.2011	36.9973	(<u>)</u>
10	38.8513	2.82/9e+0	3 0.9411	2.2011	2.5736	0.2689	36.5988	(<u>/</u>
11	/0.6009	3.521/e+0	3 -0.0570	1.3242	2.1907	0.5913	36.5988	(1
12	145.7006	1.504/e+0	4 -0.1803	1.2276	3.3206	1.8161	23.9898	(J

≻How to implement in MATLAB ?

Step 4: Features are in workspace and ready

Workspace	
Name	
MLFeatures	

≻How to implement in MATLAB ?

Step 5: Go to Apps,

- -click classification learner,
- -select Logistic Regression
 - from Model Type
- -click New Session,

-select from Workspace



≻How to implement in MATLAB ?

Step 6: Set 10 fold Cross validation

- Start the session

承 New Session				- 🗆 ×
Data set				Validation
Workspace Variable				Cross-Validation
MLFeatures 138x8 table			~	Protects against overfitting by partitioning the data set
_				into folds and estimating accuracy on each fold.
Response				
Class categorical2 unique			~	Cross-validation folds: 10 folds
Predictors				4
Name	Туре	Range		
Mean	double	15.5746 167.386		
Variance	double	1304.91 15047.4		O Holdout Validation
Skewness	double	-0.43029 3.65444		Personmended for large data sets
Kurtosis	double	1.19742 15.4255		Recommended for large data sets.
VI VI	double	0.762202 5.76226		Percent held out: 25%
MaxPower	double	0.04125 3.66369		
	double	17.9073 37.4002		4
Class	categorical	2 unique		
				○ No Validation
				No protection against overfitting.
Add All Remove All				
How to prepare data				Read about validation
				Start Session Cancel

>SUPERVISED LEARNING

>UNSUPERVISED LEARNING

>SUPERVISED LEARNING

>UNSUPERVISED LEARNING

SUPERVISED LEARNING (Classification / Prediction)

Provide training set with features and solutions

SUPERVISED LEARNING (Classification / Prediction) Find the area of a rectangle

L	W	Α	A1 (L+W)	A2 (L-W)	A3 (L*W)	A4 L/W
12.1	13.4	162.3	25.5	-1.3	162.14	0.90
8.6	9.7	83.4	18.3	-1.1	83.42	0.89
3.2	5.4	17.3	8.6	-2.2	17.28	0.59
6.1	10.2	62.25	16.3	-4.1	62.22	0.60
18.2	6.4	116.5	24.6	11.8	116.48	2.83
1.6	2.8	4.5	4.4	-1.2	4.48	0.57
7.7	0.6	4.7	8.3	7.1	4.62	12.83

SUPERVISED LEARNING (Classification / Prediction) Find the area of a rectangle

L	W	Α	E1 A-A1	E2 A-A2	E3 A-A3	E4 A-A4
12.1	13.4	162.3	136.8	163.6	0.16	161.40
8.6	9.7	83.4	65.1	84.5	0.02	82.51
3.2	5.4	17.3	8.7	19.5	0.02	16.71
6.1	10.2	62.25	45.95	66.35	0.03	61.65
18.2	6.4	116.5	91.90	104.70	0.02	113.66
1.6	2.8	4.5	0.1	5.7	0.02	3.93
7.7	0.6	4.7	3.6	2.4	0.08	8.13

- SUPERVISED LEARNING (Classification / Prediction)
 - Linear Regression
 - Logistic Regression
 - Support Vector Machines
 - k-Nearest Neighbors
 - Decision Trees and Random Forests
 - Neural Networks

SUPERVISED LEARNING (Classification / Prediction)

• Linear Regression

Given *m* outcomes y^i where i = 1, 2, ..., m with each outcome depends on *n* features x_j where j = 1, 2, ..., n. Find the best estimate of y^i as \hat{y}^i using the *n* features with appropriate parameters θ_j such that $J = \langle (\hat{y}^i - y^i)^2 \rangle$

$$\hat{y}^i = \theta_0^i + \theta_1^i x_1^i + \theta_2^i x_2^i + \cdots \dots + \theta_n^i x_n^i$$

SUPERVISED LEARNING (Classification / Prediction)

• Linear Regression

 $\hat{y}^i = \theta_0^i + \theta_1^i x_1^i + \theta_2^i x_2^i + \cdots \dots + \theta_n^i x_n^i$

 $\hat{Y} = \Theta X = h_{\theta}(X)$

Cost Function to Minimize

$$J = \left\langle \left(\hat{y}^i - y^i \right)^2 \right\rangle = (\hat{Y} - Y)^T (\hat{Y} - Y)$$

SUPERVISED LEARNING (Classification / Prediction)

• Linear Regression

$$\hat{y}^{i} = \theta_{0}^{i} + \theta_{1}^{i} x_{1}^{i} + \theta_{2}^{i} x_{2}^{i} + \dots \dots + \theta_{n}^{i} x_{n}^{i}$$
$$\hat{Y} = \Theta \cdot X = h_{\theta}(X)$$

- Gradient Descent by Louis Augustin Cauchy in 1847

Cost Function to Minimize

$$J = \left\langle \left(\hat{y}^i - y^i \right)^2 \right\rangle = (\hat{Y} - Y)^T (\hat{Y} - Y)$$



SUPERVISED LEARNING (Classification / Prediction)

Logistic Regression

 $\hat{p} = f(\Theta, X) = h_{\theta}(X)$

 $\hat{y} = 1 \ if \hat{p} < 0.5; \ \hat{y} = 0 \ if \hat{p} \ge 0.5$

Derive Cost Function to Minimize



SUPERVISED LEARNING (Classification / Prediction)

• Linear Regression

Mainly for regression (predicting an outcome)

Logistic Regression

Mainly for classification (0 or 1)

High Risk vs. Low Risk



https://medium.datadriveninvestor.com/machine-learning-101part-1-24835333d38a

SUPERVISED LEARNING (Classification / Prediction)

• Support Vector Machine

Used for regression as well as classification

SUPERVISED LEARNING (Classification / Prediction)

• Support Vector Machine (SVM)

Used for regression as well as classification



APPROACHES

SUPERVISED LEARNING (Classification / Prediction)

• Support Vector Machine (SVM)

Used for regression as well as classification



https://medium.com/@LSchultebraucks/introduction-to support-vector-machines-9f8161ae2fcb

SUPERVISED LEARNING (Classification / Prediction)

• Support Vector Machine (SVM)

Used for regression as well as classification

 χ_2



https://www.mathworks.com/matlabcentral/fileexchange/62061-multi-class-svm

- SUPERVISED LEARNING (Classification / Prediction)
 - Linear Regression
 - Logistic Regression
 - Support Vector Machines
 - k-Nearest Neighbors
 - Decision Trees and Random Forests
 - Neural Networks

Prediction of House Price (housing.csv) Regression Problem

longitude latitude housing_median_age total_rooms total_bedrooms population households median_income median_house_value ocean_proximity



Prediction of House Price (housing.csv) Classification Problem

longitude latitude housing_median_age total_rooms total_bedrooms population households median_income median_house_value (High/Low) Threshold= 257500 ocean_proximity

Prediction of House Price (housing.csv) Classification Problem

Confusion Matrix



True Positive Rate = True Positive / Total Positive

True Negative Rate = True Negative / Total Negative = 1 – False Positive Rate

Prediction of House Price (housing.csv) Classification Problem





>To test the hypothesis that the features of SpO2 can detect smoker from non-smoker



➤To test the hypothesis that the features of saliva can detect COPD from other conditions

Data set : <u>http://archive.ics.uci.edu/ml/datasets/Exasens</u>

https://cml.ics.uci.edu/